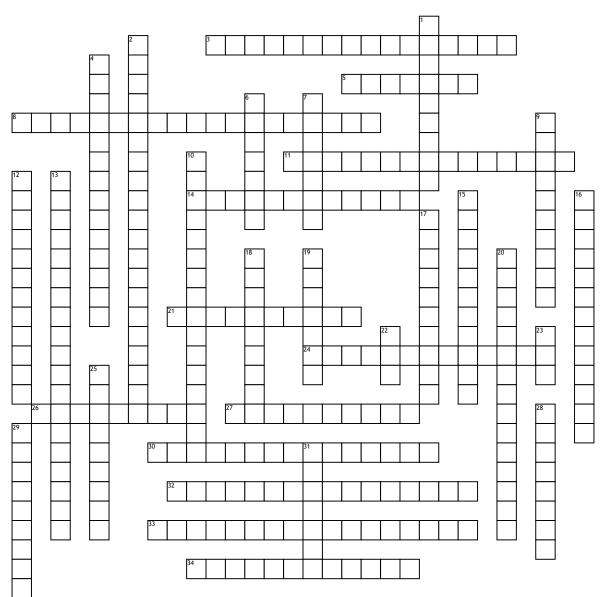
## **AP Calculus BC crossword**



## Across

3.  $\int f(x) dx$  from a to INF = lim c $\rightarrow$ INF of  $\int f(x) dx$  from a toc

5. A point where f changes from negative to positive is called a local \_

**8.** If *f* is continuous on a closed interval, then *f* has both a minimum and maximum on the interval.

11. A point where f" changes from positive to negative or vice versa.

14.  $(\int f(x)dx)/(b-a) = f(c)$ . This solves for the \_

**21.** When f'(x) is negative, f(x) is

24.  $\int F'(g(x))g'(x)dx = F(u) + C = F(g(x)) + C$ 

26. For a convergent alternating series, the absolute value of the \_\_\_\_\_\_ in approximating the sum with the first n partial sums is less than or equal to the value of the first neglected term.

**27.**  $f'(x) = \lim h \rightarrow 0 (f(x+h) - f(x))/h$ . Definition of

**30.** Let sequences  $a^n > 0$  and  $b^n > 0$ . If  $\lim n \to \infty a/b = L$ , where L is finite and positive, then the two sequences either both converge or both diverge. test

**32.**  $\Sigma f(ci)\Delta xi$ , as  $\Delta x \rightarrow 0$ 

**34.**  $f(x) = \sum f^{n}(c)(x-c)^{n}/n! + R(x)$ , where  $f^{n}(c)$  is the nth derivative of f at c.

Down

 $\overline{\mathbf{1} \cdot \Sigma ar^n} = a + ar + ar^2 + \dots = a/(1-r) = sum of a _ series$ 

2. An equation involving the derivative(s) of a function.

4. If  $h(x) \le f(x) \le g(x)$  for all x in an open interval containing c, except possibly at c itself, and  $\lim x \to c h(x) = \lim x \to c g(x) = L$ , then  $\lim x \to c f(x)$  exists and equals L.

**6.** If  $\lim n \to \infty a^n \neq 0$ , then the infinite series  $\sum a^n = 0$ diverges. \_\_\_\_ test

7. If a sequence is \_ \_ and monotonic, then it converges.

9. An infinite series is \_\_\_\_ \_\_\_\_\_ if the sequence of partial sums is \_\_\_\_

10.  $\int f(x) dx$  from a to b = f(c)(b-a).

**12.**  $d/dx f(x)/g(x) = (g(x)f'(x) - f(x)g'(x))/g^{2}(x)$ 

**13.** If the series  $\Sigma |a^n|$  converges, then  $\Sigma a^n$  converges.

**15.** d/dx f(x)g(x) = f'(x)g(x) + f(x)g'(x)

... A series is \_\_\_\_\_\_ convergent if  $\Sigma a^n$  converges but  $\Sigma |a^n|$  diverges.

17. When f'(x) is positive, f(x) is

**18.**  $d/dx x^n = nx^{(n-1)}$ 

19. A point where f' changes from positive to negative is called a local

**20.**  $\lim x \rightarrow c f(x)/g(x) = f'(x)/g'(x)$ , given that f(x)/g(x) is indeterminate at c

**22.**  $\int f(x) dx$  from a to b = F(b) - F(a), where F is an antiderivative of f. \_\_\_\_ fundamental theorem of calculus

**23.** d/dx (ff(t)dt from a to x) = f(x). \_\_\_\_ fundamental theorem of calculus

**25.** d/dx f(g(x)) = f'(g(x))g'(x)

**28.** A function F(x) that satisfies F'(x) = f(x)

29. A sequence is \_\_\_\_\_ if it's terms are either nondecreasing or nonincreasing.

**31.** The series  $\Sigma n^{(-p)}$  converges if p > 1, and diverges if p ≤ 1.